

Feature Trajectory Retrieval with Application to Accurate Structure and Motion Recovery

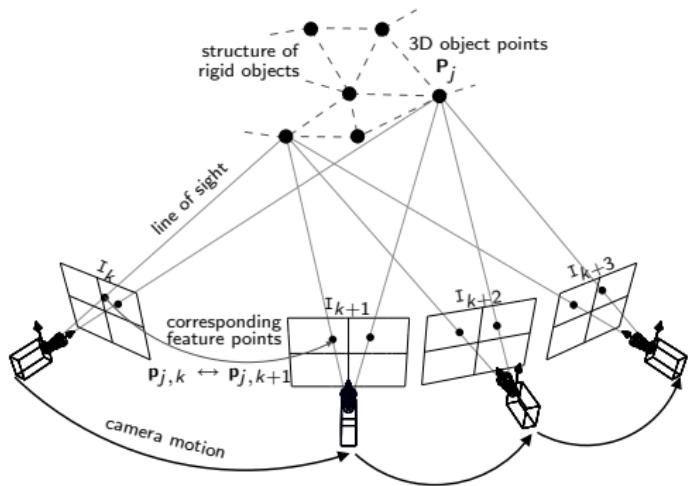
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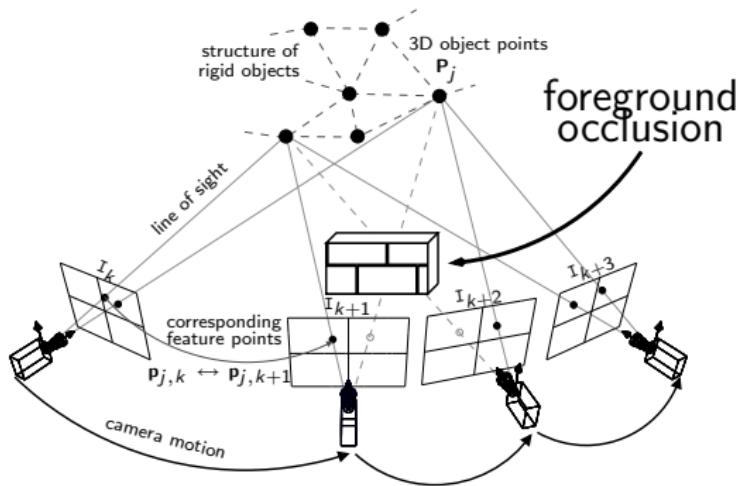
Structure and Motion Estimation



- Feature detection
- Correspondence analysis
- Outlier detection
- Bundle adjustment



Structure and Motion Estimation



- Occlusion
 - ⇒ Trajectories lost
 - ⇒ Error-prone object points
 - ⇒ Drift



Reconstruction Accuracy

High-Accuracy needed for Structure and Motion Estimation

- Reprojection Errors of 1/4 pel are visible and disturbing^a
- Need wide baseline correspondence analysis → SIFT

^aHillman et al., ICIP 2010

Limited Localization Accuracy

- SIFT designed for Object Recognition
- Due to more invariance, the detector loses Accuracy
- Increase localization accuracy of SIFT detector^a

^aCordes et al., ISVC 2010, LNCS 6453

Objectives

- Solve occlusion problem
 - Store discontinued trajectories
 - Use SIFT for robust assignment of newly appearing features
- Increase localization accuracy of SIFT
 - Use gradient signal approximation for subpel localization

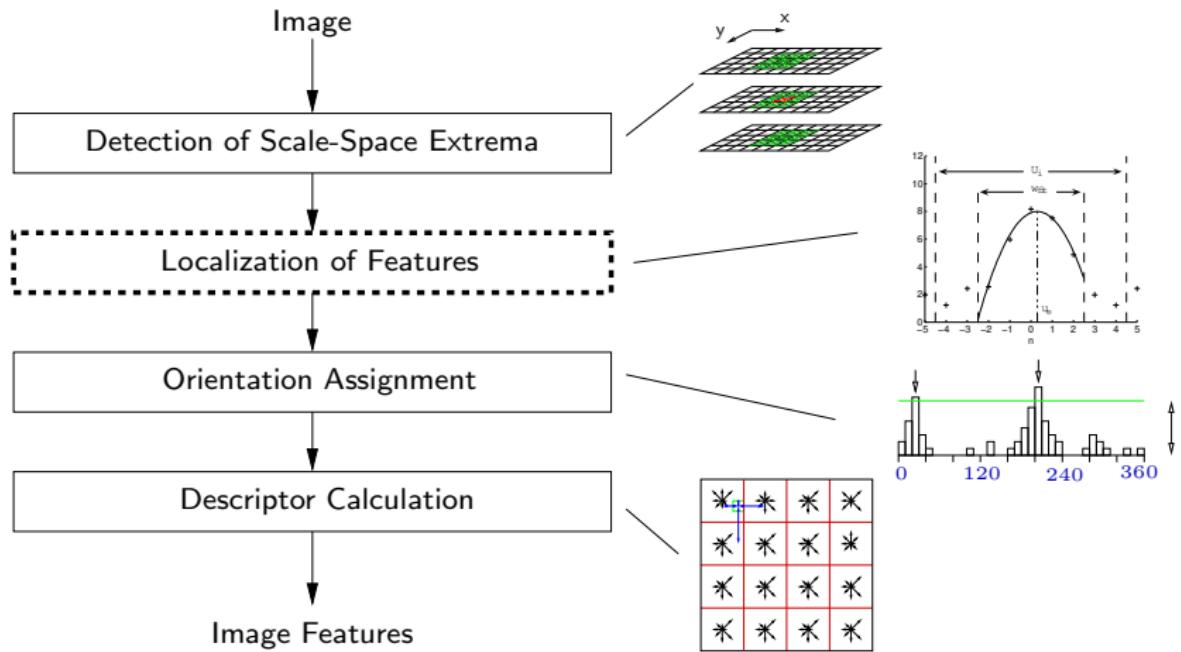
Bivariate Feature Localization Assuming a Gaussian Shape

Feature Trajectory Retrieval

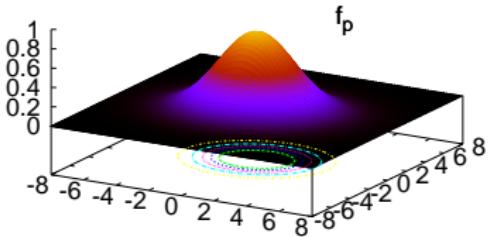
Experimental Results

Conclusion

Scale Invariant Feature Transform



$$f_p(\mathbf{x}) = \frac{V}{\sqrt{|\Sigma|}} \cdot e^{-\frac{1}{2}((\mathbf{x}-\mathbf{x}_0)^\top \Sigma^{-1} (\mathbf{x}-\mathbf{x}_0))} \quad (1)$$



New Localization Strategy:

- Exchange parabolic approximation of DoG by Gaussian function
- Covariance matrix $\Sigma = \begin{pmatrix} a^2 & b \\ b & c^2 \end{pmatrix} \Rightarrow$ rotated, scaled ellipse
- $\mathbf{x} = (x_0, y_0)$ subpixel position

Outline

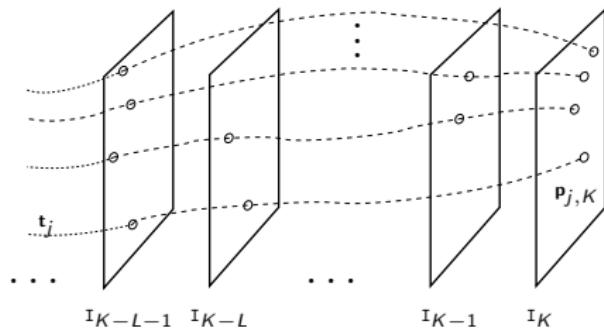
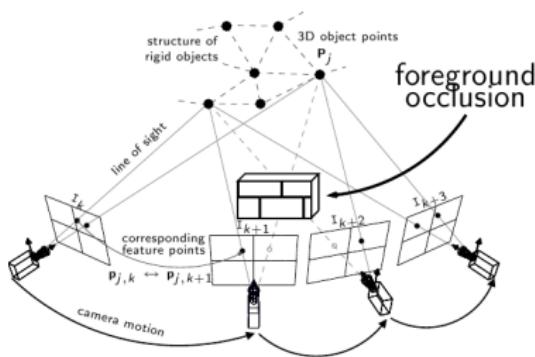
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Feature tracking situation



Objective: Additional constraints in bundle adjustment:

- Memory for discontinued trajectories
- use SIFT descriptor for assignment
- use RANSAC and epipolar geometry for outlier elimination

Bundle Adjustment

Bundle Adjustment Equation

$$\epsilon = \sum_{j=1}^J \sum_{k=1}^K d(\mathbf{p}_{j,k}, \mathbf{A}_k \mathbf{P}_j)^2 \rightarrow MIN \quad (2)$$

- $RMSE_\epsilon = \sqrt{\frac{\epsilon}{2JK}}$ reprojection error (RootMeanSquareError).

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Extend Bundle Adjustment Equation

- use correspondences from non-consecutive frames
- assign detected features to already reconstructed object points
- RMSE increases for FTR because of additional constraints in the BA

Outline

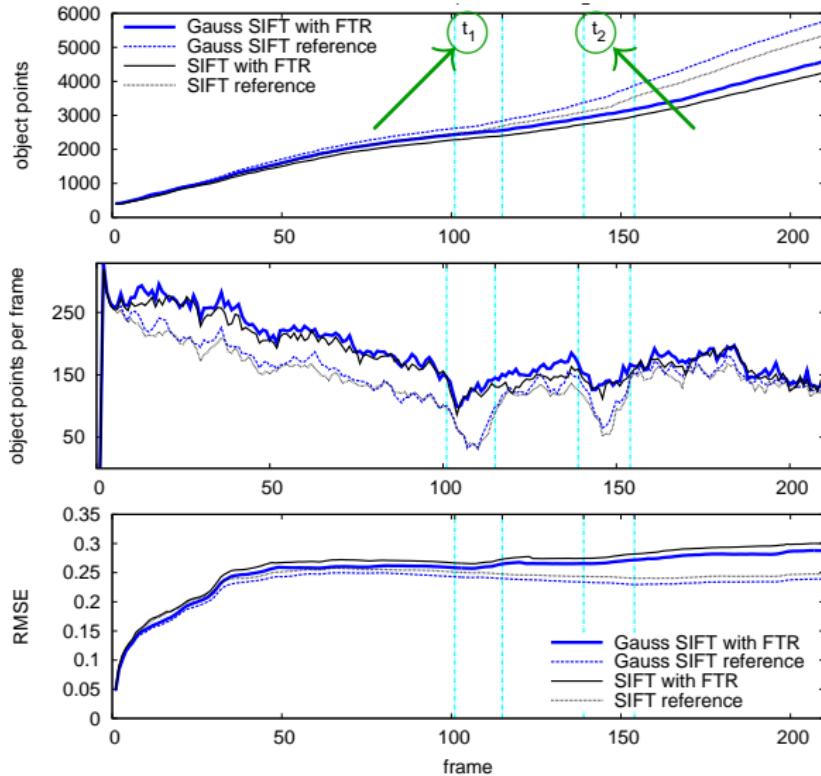
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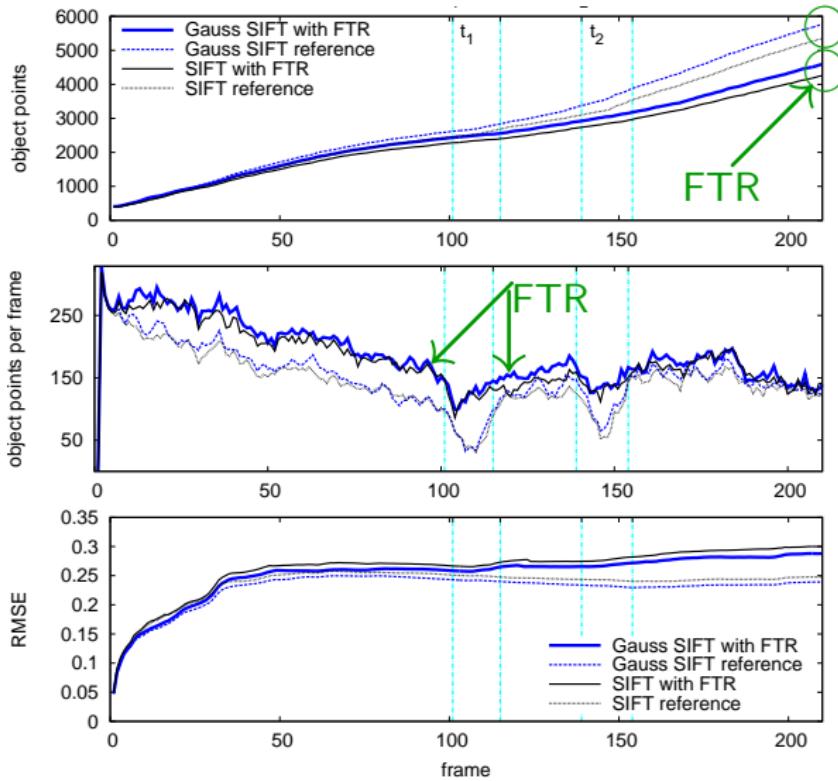
Experimental Results



Bellevue Sequence

- temporary occlusions

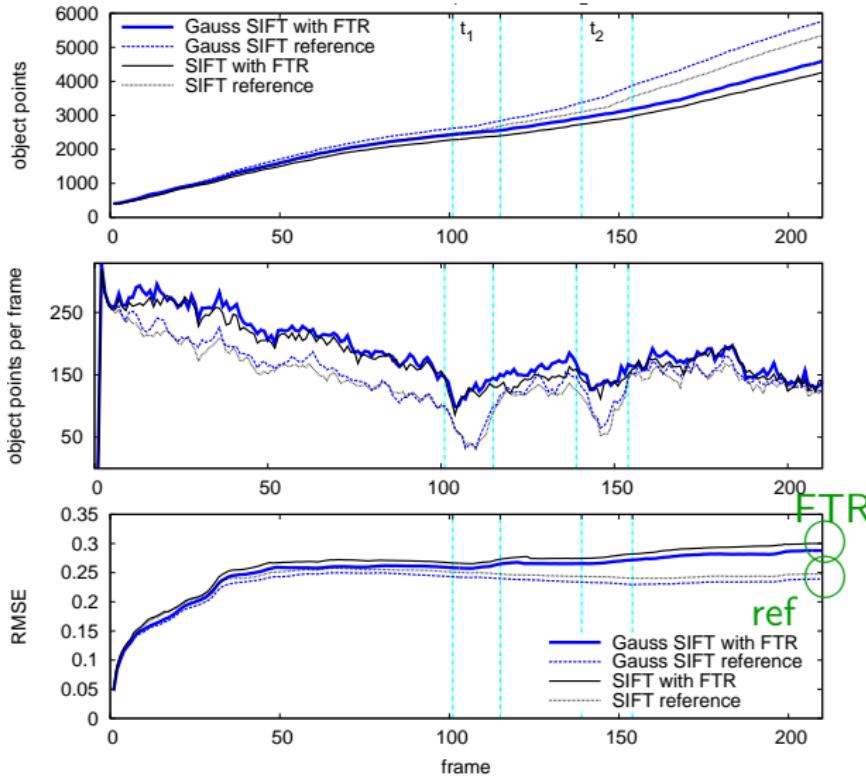
Experimental Results



Bellevue Sequence

- temporary occlusions
- less object pts for FTR
- more object pts for Gauss SIFT

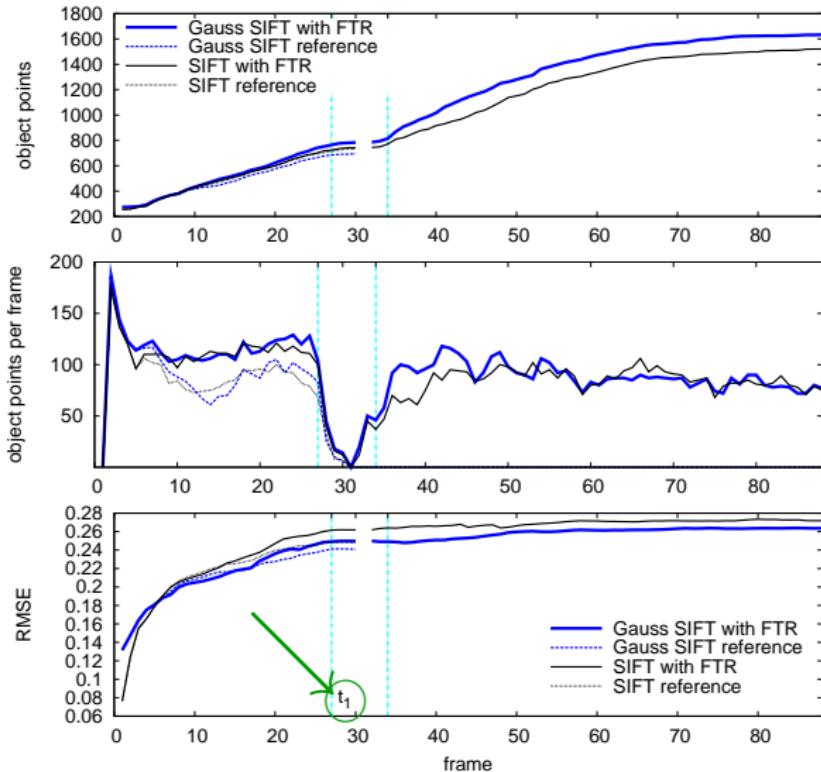
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Bellevue Sequence

- temporary occlusions
- less object pts for FTR
- more object pts for Gauss SIFT
- $\text{RMSE}(\text{FTR}) > \text{RMSE}(\text{ref})$
- $\text{RMSE}(\text{Gauss SIFT}) < \text{RMSE}(\text{SIFT})$

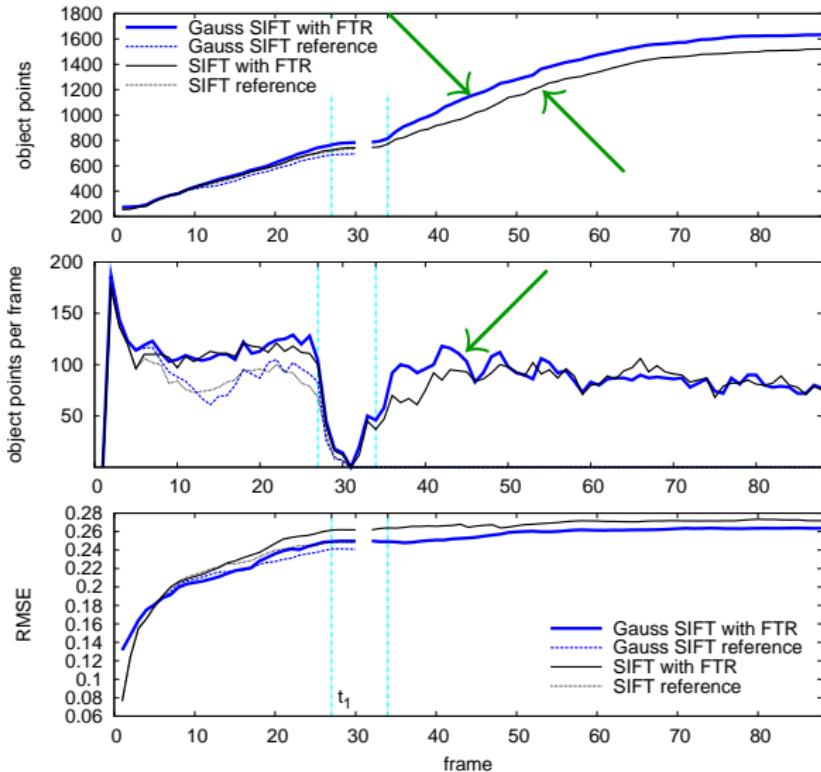
Experimental Results



Lift Sequence

- temporary Occlusion
- reference fails

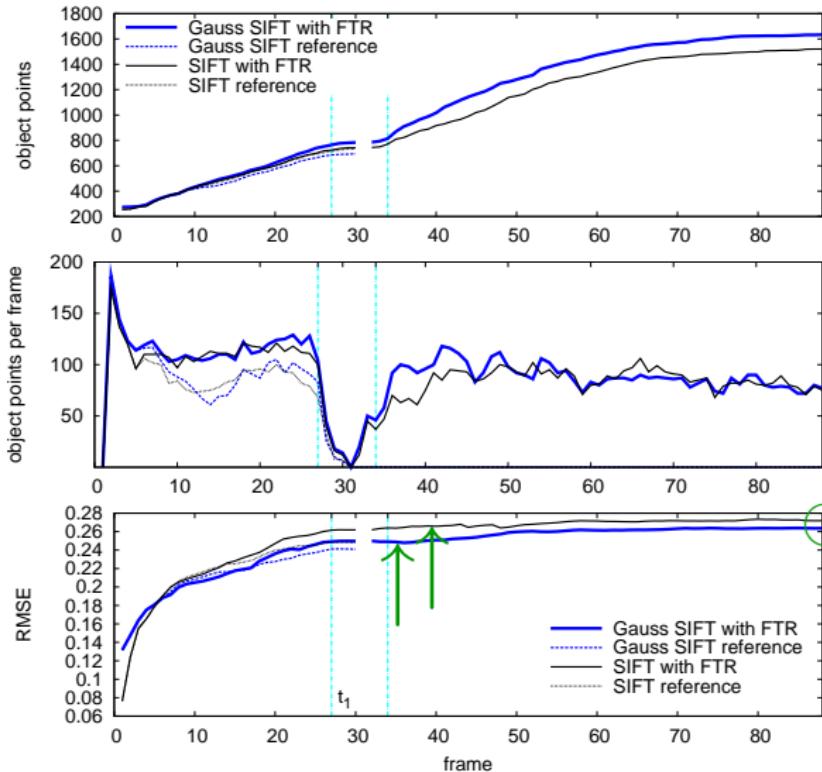
Experimental Results



Lift Sequence

- temporary Occlusion
- reference fails
- more object pts for Gauss SIFT

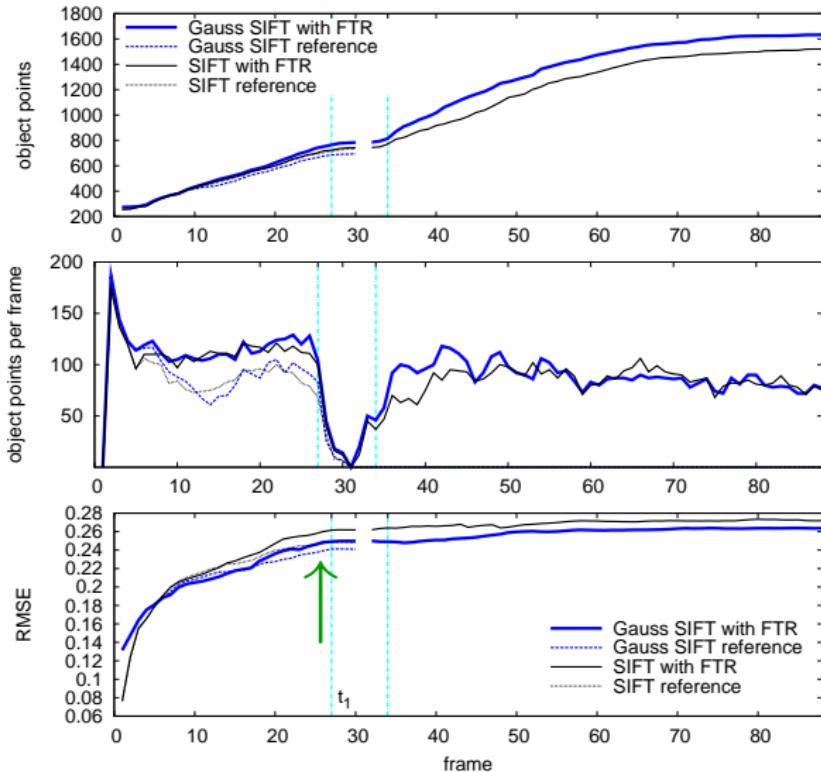
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Lift Sequence

- temporary Occlusion
- reference fails
- more object pts for Gauss SIFT
- RMSE(Gauss SIFT) < RMSE(SIFT)

Experimental Results



Lift Sequence

- temporary Occlusion
- reference fails
- more object pts for **Gauss SIFT**
- $\text{RMSE}(\text{Gauss SIFT}) < \text{RMSE}(\text{SIFT})$
- $\text{RMSE}(\text{FTR}) > \text{RMSE}(\text{ref})$

Example: *Lift* sequence¹



1. Input sequence (15 fps)
2. Result: SIFT reference
3. Result: SIFT with FTR
4. Result: Gaussian SIFT with FTR

¹<http://www.youtube.com/watch?v=q2EQXR5RXrA>

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 - ⇒ Longer trajectories, more constraints
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Future Work:

- Exploit occlusion image locations for further scene understanding

<http://www.tnt.uni-hannover.de/staff/cordes/>

<http://www.tnt.uni-hannover.de/project/motionestimation/>